

Resolution of Several Puzzles  
at Intermediate  $p_T$   
and  
Recent Developments in Correlation

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Quark Matter 05

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## Puzzles at intermediate $p_T$

1. Proton/pion ratio
  2. Azimuthal anisotropy
- } QM04
3. Cronin effect in pion and proton production
  4. Forward-backward asymmetry in dAu collisions
  5. Same-side associated particle distribution

# Correlations

1. Correlation in jets: distributions in  $\Delta\eta$  and  $\Delta\phi$
2. Two-particle correlation without triggers
3. Autocorrelations
4. Away-side distribution (jet quenching)

# Work done in collaboration with

Chunbin Yang (Hua-Zhong Normal University, Wuhan)

Rainer Fries (University of Minnesota)

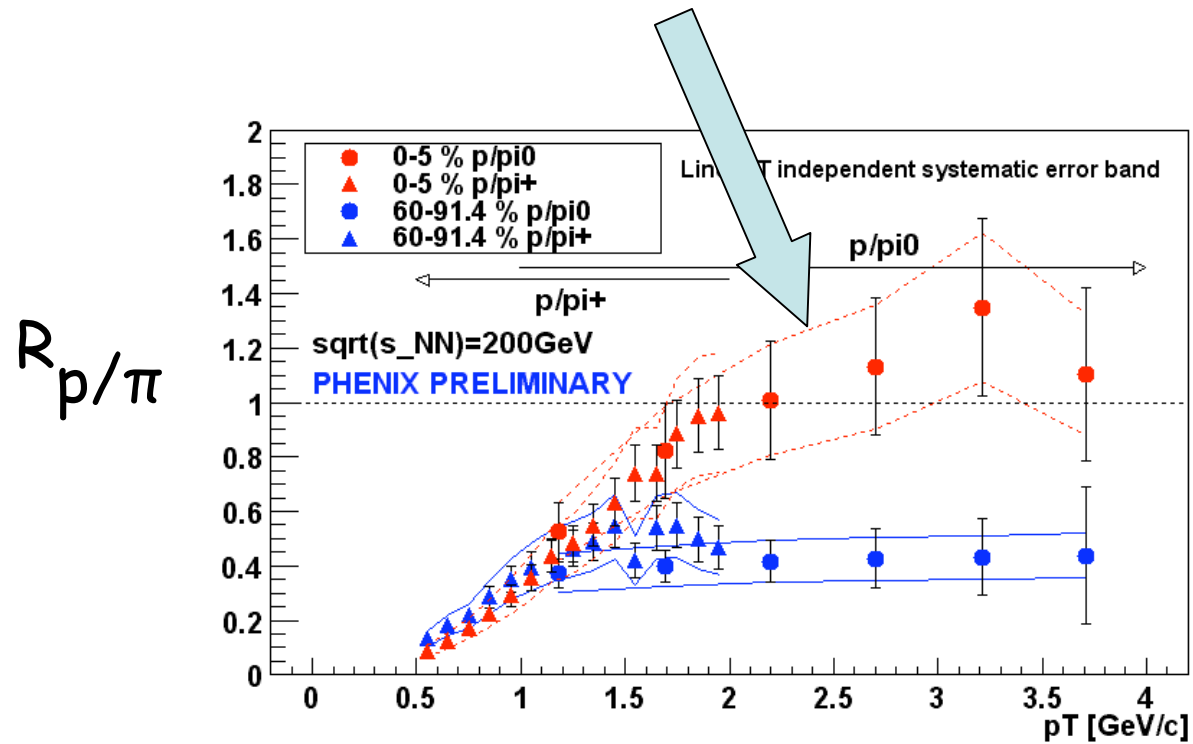
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Zhiguang Tan (Hua-Zhong Normal University, Wuhan)

Charles Chiu (University of Texas, Austin)

Puzzle #1

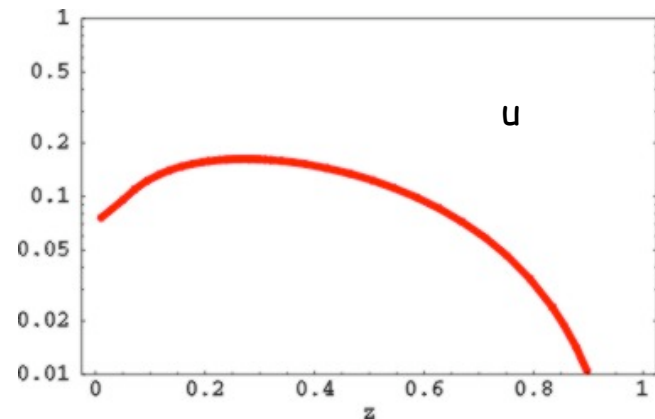
$$R_{p/\pi} > 1$$



Not possible in fragmentation model:

$$D_{p/q} \ll D_{\pi/q}$$

$$\frac{D_{p/q}}{D_{\pi/q}}$$



# In the recombination model

inclusive distribution of pions in any direction  $\vec{p}$

$$p \frac{dN_\pi}{dp} = \int \frac{dp_1}{p_1} \frac{dp_2}{p_2} F_{q\bar{q}}(p_1, p_2) R_\pi(p_1, p_2, p)$$

$$F_{q\bar{q}} = \text{TT} + \text{TS} + \text{SS}$$

$$\frac{p_1 p_2}{p} \delta(p_1 + p_2 - p)$$

Proton formation:  $uud$  distribution

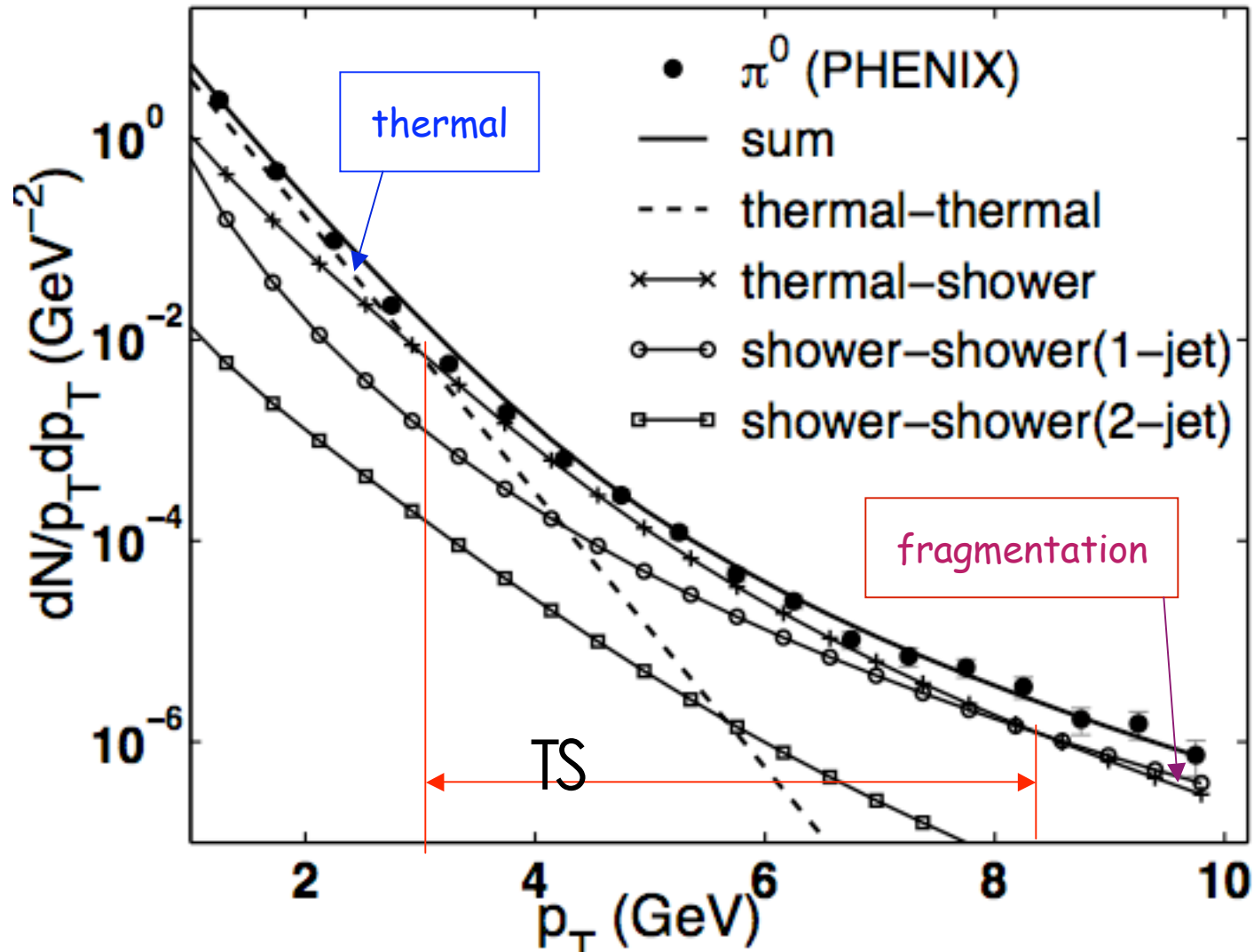
$$F_{uud} = \text{TTT} + \text{TTS} + \text{TSS} + \text{SSS}$$

soft  
component

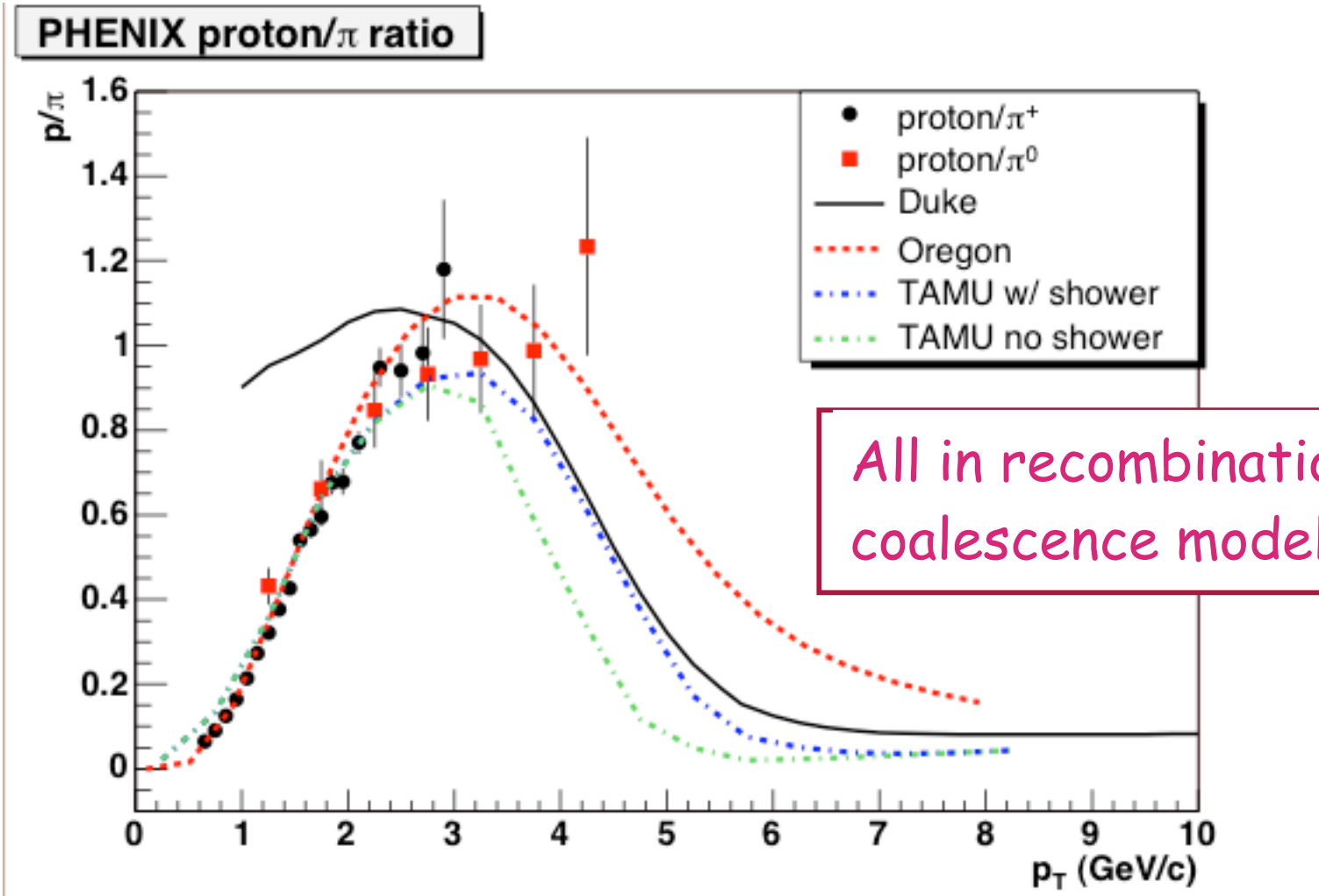
thermal-shower  
recombination

usual fragmentation  
(by means of recombination)

# $\pi$ production in AuAu central collision at 200 GeV



Hwa & CB Yang, PRC70, 024905 (2004)



compilation by R.Seto (UCR)

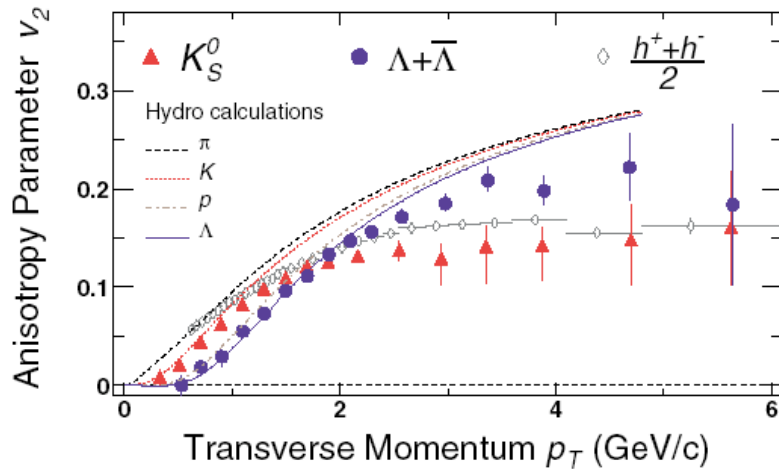


# Puzzle #2 Azimuthal anisotropy

Molnar and Voloshin, PRL 91, 092301 (2003).

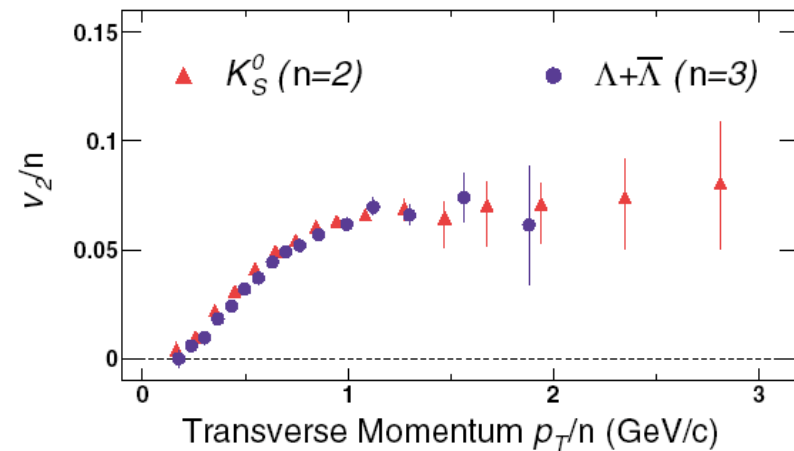
Parton coalescence implies that  $v_2(p_T)$  scales with the number of constituents

## STAR data



VIEW LETTERS

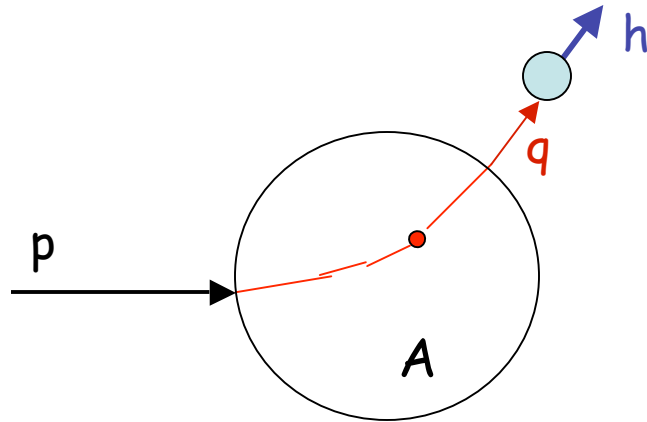
week ending  
6 FEBRUARY 2004



# Puzzle #3 in pA or dA collisions

## Cronin Effect

Cronin et al, Phys.Rev.D (1975)



$$\frac{dN}{dp_T}(pA \rightarrow \pi X) \propto A^\alpha, \quad \alpha > 1$$

$k_T$  broadening by multiple scattering in the initial state.

Unchallenged for ~30 years.

If the medium effect is before fragmentation, then  $\alpha$  should be independent of  $h = \pi$  or  $p$

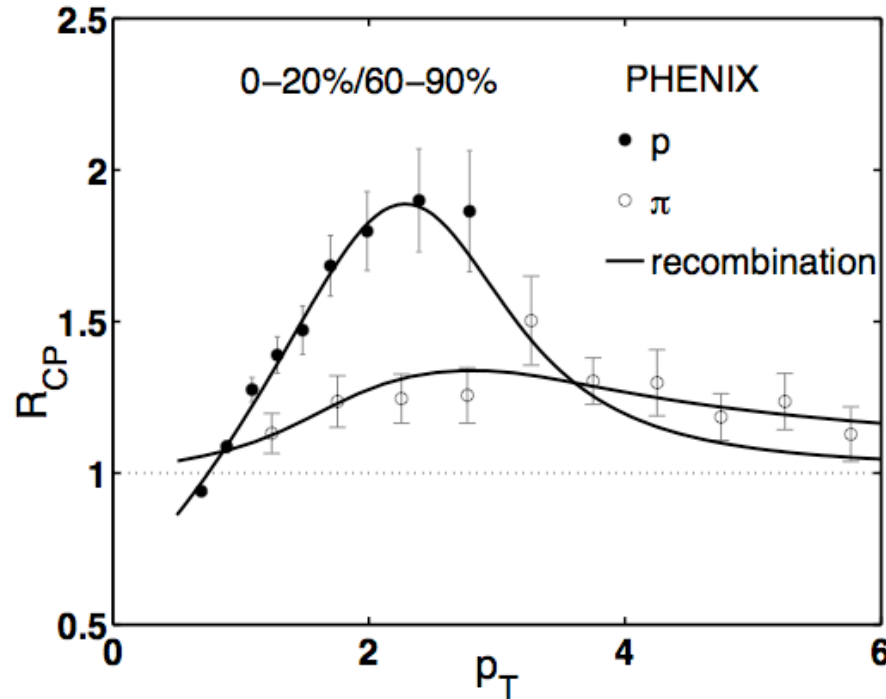
$$\alpha_p > \alpha_\pi$$

Cronin et al, Phys.Rev.D (1975)

$$R_{CP}^p > R_{CP}^\pi$$

STAR, PHENIX (2003)

# $R_{CP}$ for d-Au collisions



Hwa & CB Yang,  
PRL 93, 082302 (04).  
PRC 70, 037901 (04).

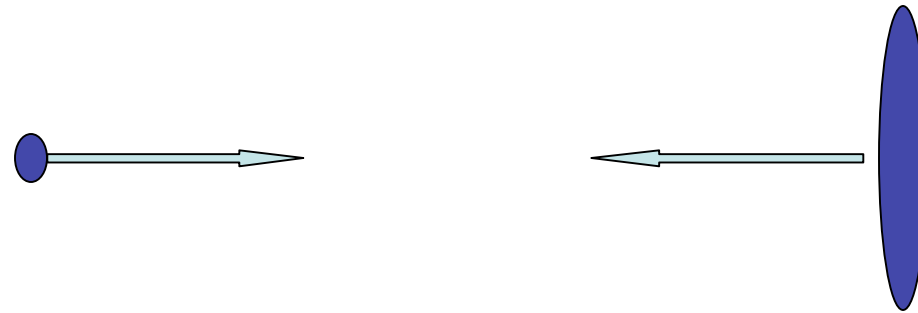
$$R_{CP}^p > R_{CP}^\pi$$

because  $3q \rightarrow p$ ,  $2q \rightarrow \pi$

more partons at  $1/3$  than at  $1/2$

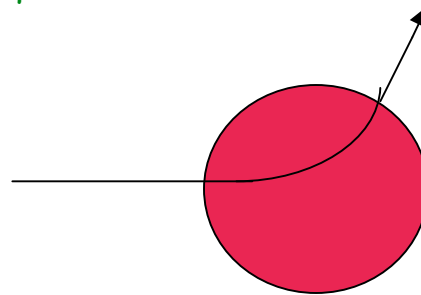
Argument does not extend to  $5q \rightarrow \Theta$ ,  $6q \rightarrow d$   
nor to higher  $p_T$  because of ST and SS recombination.

# Puzzle #4 Forward-backward asymmetry in d+Au collisions



If initial transverse broadening of parton gives more hadrons at high  $p_T$ , then

- forward has more transverse broadening



Expects more forward particles at high  $p_T$  than backward particles

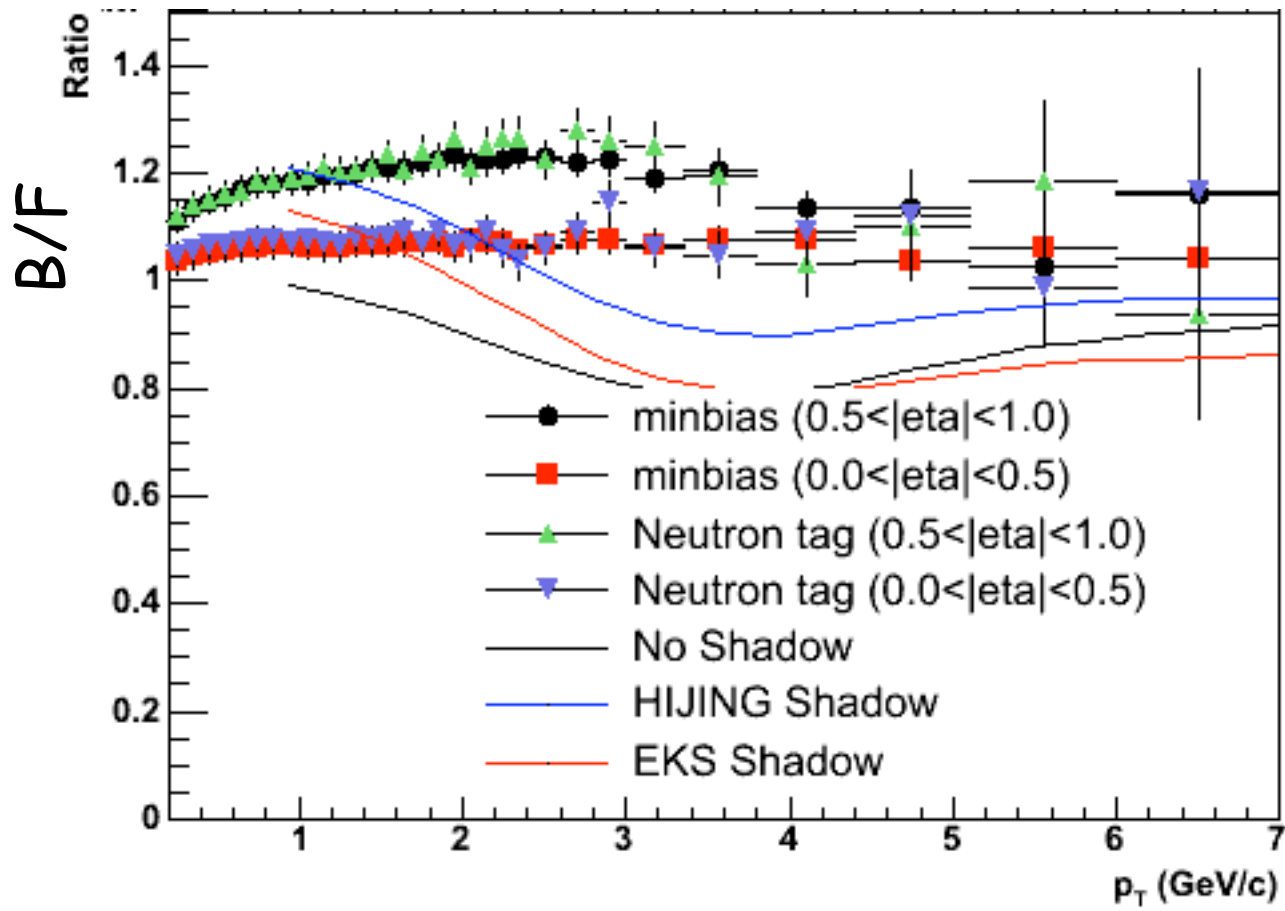
- backward has no broadening



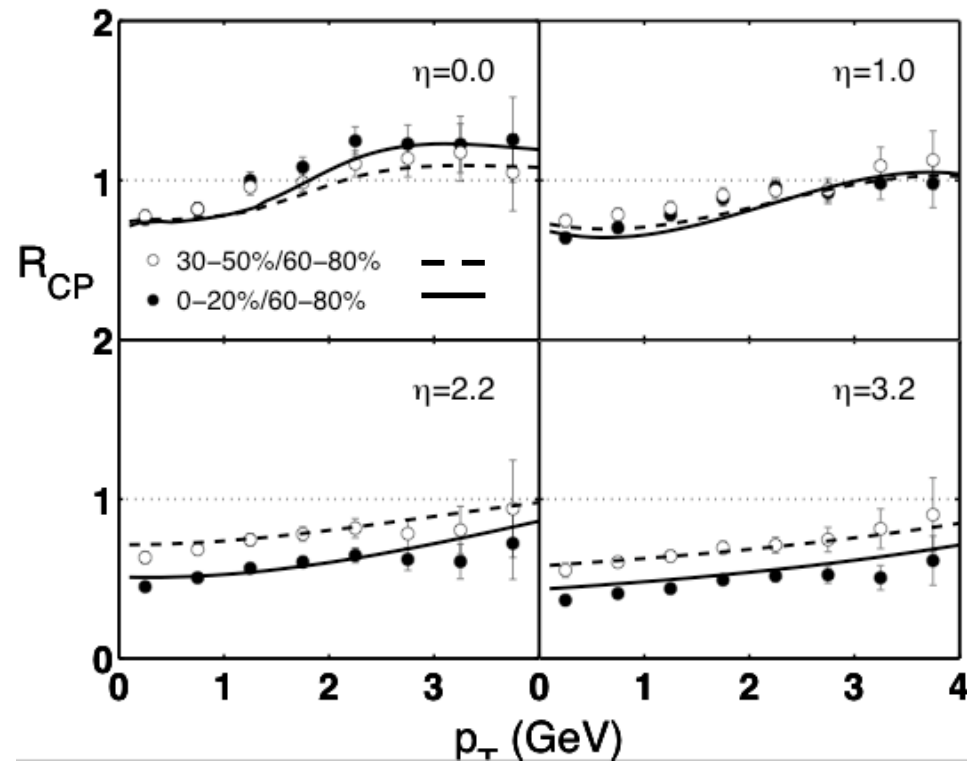
$$B/F < 1$$

# Backward-forward ratio at intermed. $p_T$

in d+Au collisions (STAR)



## Forward production in d+Au collisions



BRAHMS  
data

Hwa, Yang, Fries, PRC 71, 024902 (2005)

Underlying physics for hadron production is not  
changed from backward to forward rapidity.

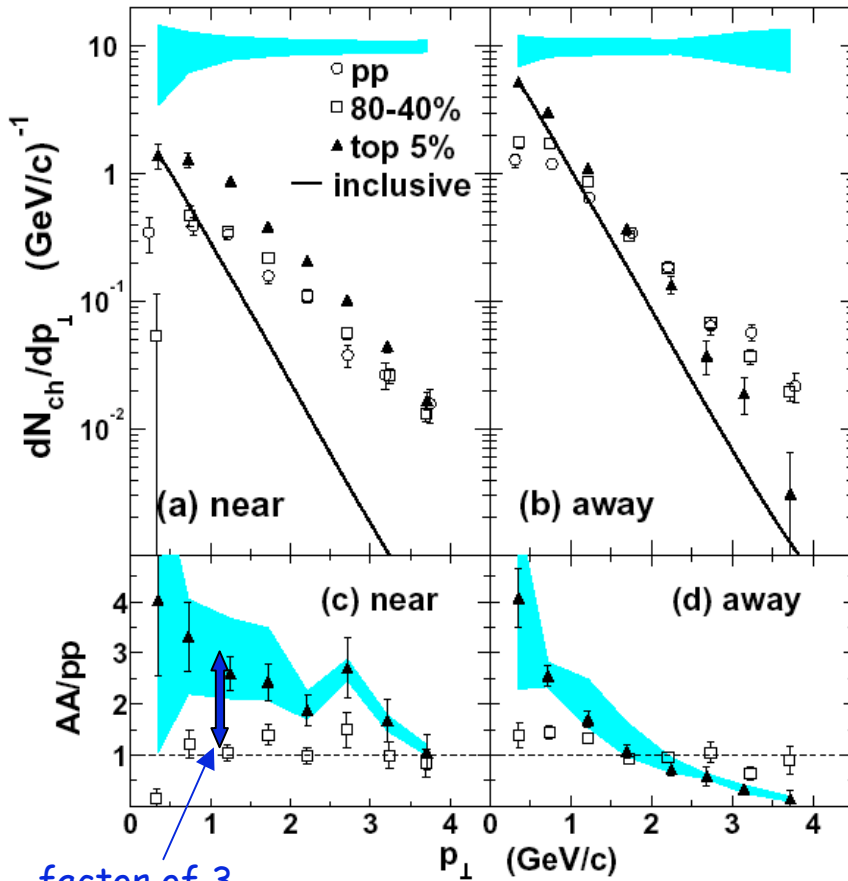
# Puzzle #5: Associated particle $p_T$ distribution (near side)

STAR : nucl-ex/0501016

Trigger  $4 < p_T < 6 \text{ GeV}/c$

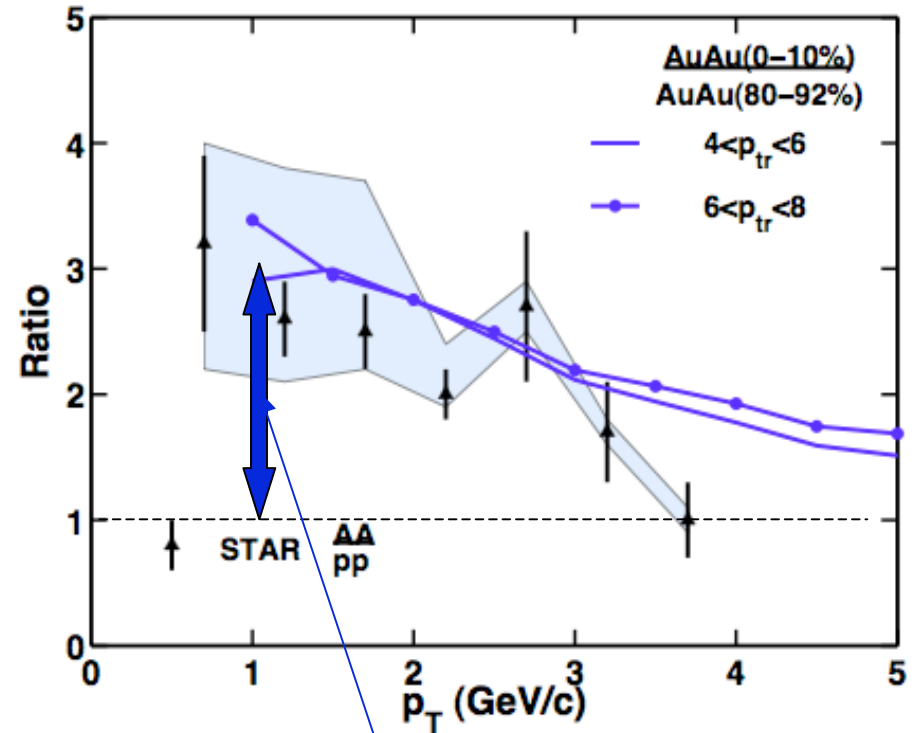
Hwa & Tan, nucl-th/0503060

Recombination model

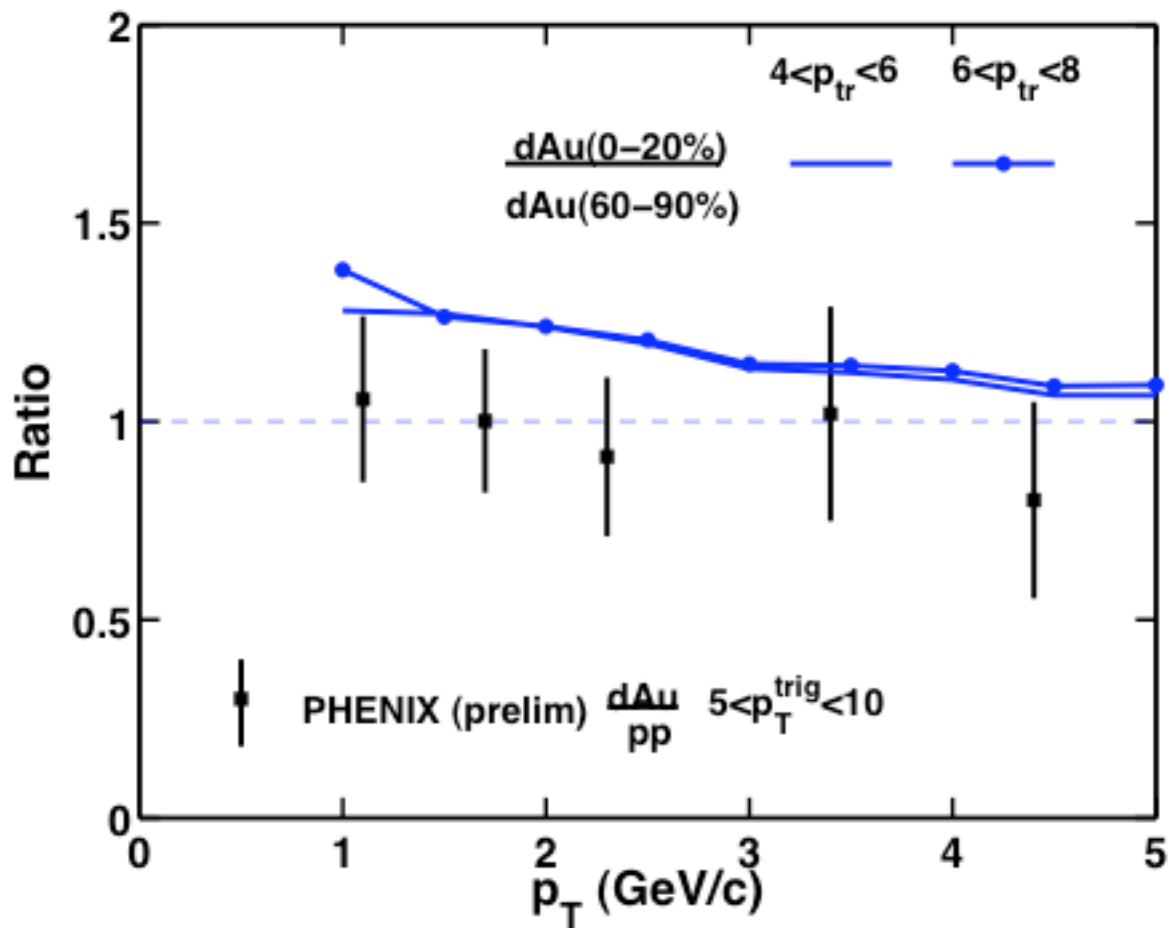


factor of 3

difficult for medium modification of fragmentation function to achieve



because of T-S recombination



PHENIX (preliminary)  $\frac{dAu(0-20\%)}{pp}$

N. Grau

STAR (preliminary)  $\frac{yield(0-20\%)}{yield(40-100\%)} \approx 1$

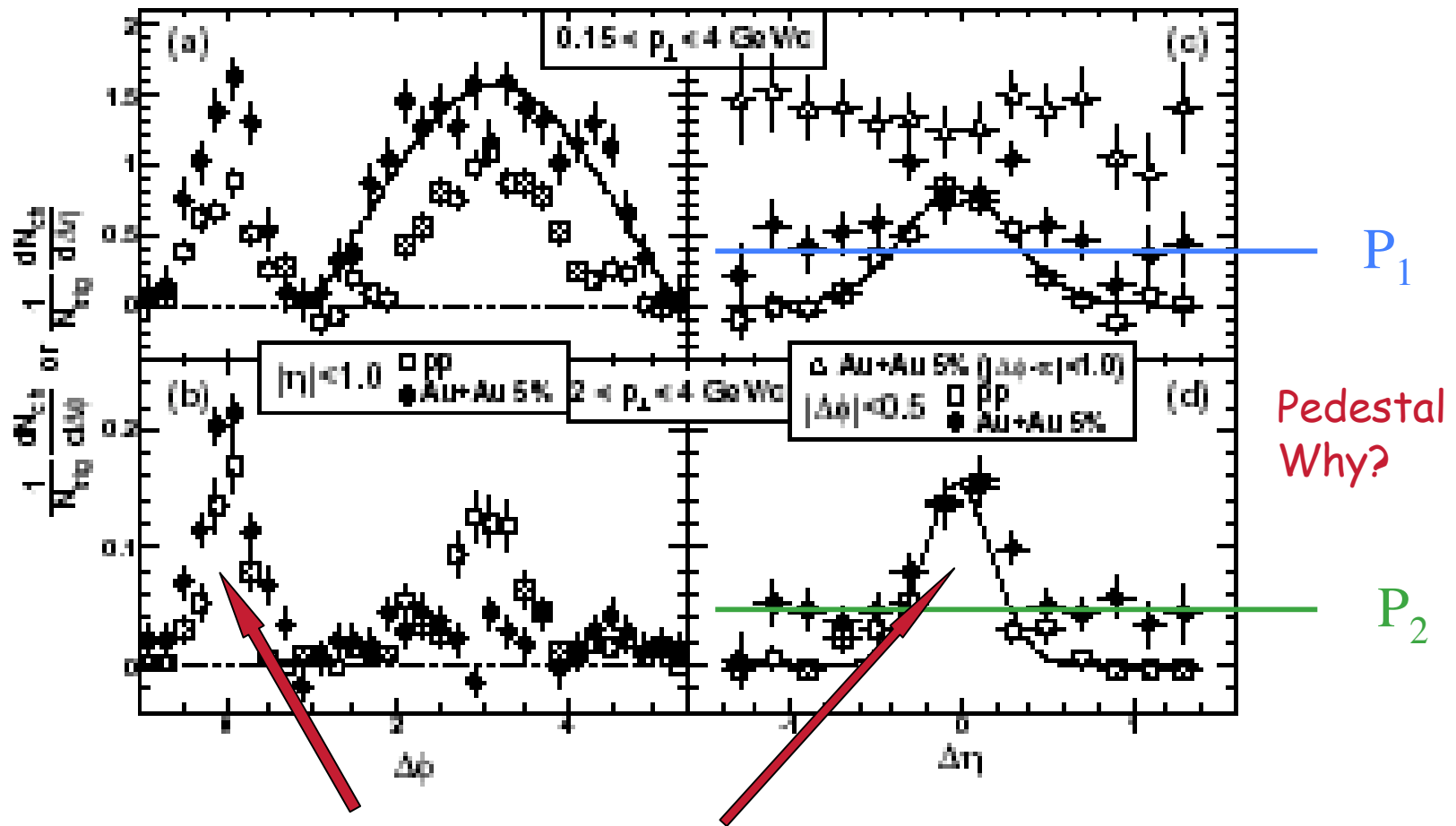
J. Bielcikova

RIKEN/BNL  
Workshop 3/05



# Correlations

# $\Delta\phi$ and $\Delta\eta$ distributions



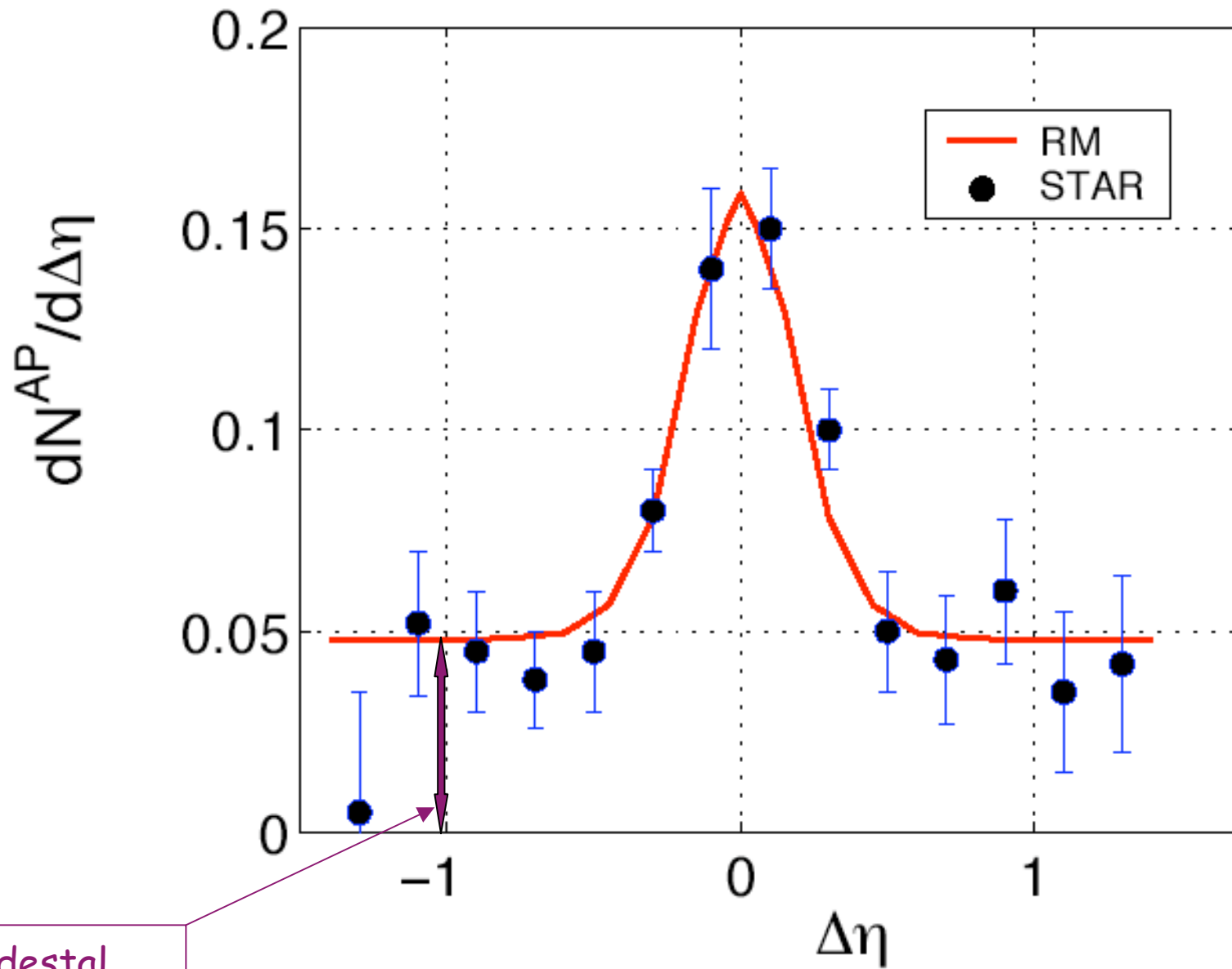
Are these peaks related? How?

## For STST recombination

$$F_4' = \xi \sum_i \int dk k f_i(k) \mathbf{T}'(q_3) \{ \mathbf{S}(q_1), \mathbf{S}(q_2) \} \mathbf{T}'(q_4) e^{-\psi^2 / 2\sigma^2(q_2/k)} \Big|_{\psi = 2 \tan^{-1} g(\eta, \eta_1)}$$

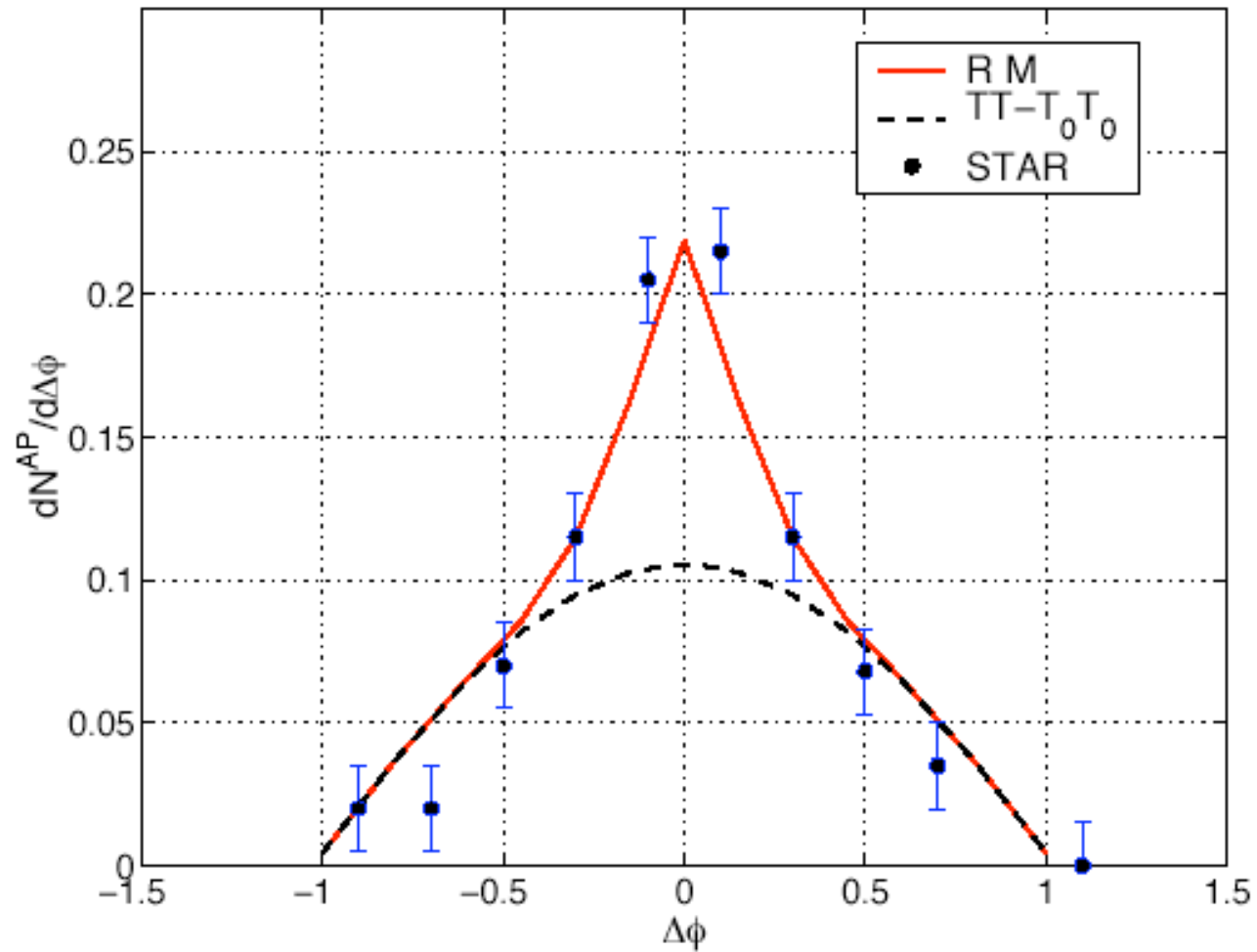
with background subtracted

$$F_4^{tr-bg} = \sum \int \dots (\mathbf{ST}')_{13} \underbrace{(\mathbf{T}'\mathbf{T}' - \mathbf{TT})}_{\text{Pedestal}}_{24} + (\mathbf{ST}')_{13} \underbrace{(\mathbf{ST}')}_{\text{peak in } \Delta\eta \text{ \& } \Delta\phi}_{24}$$



pedestal  
 $\Delta T=15$  MeV

Chiu & Hwa, nucl-th/0505014



Chiu & Hwa, nucl-th/0505014

# Correlation without triggers

## Correlation function

$$C_2(1,2) = \rho_2(1,2) - \rho_1(1)\rho_1(2)$$

$$\rho_2(1,2) = \frac{dN_{\pi_1\pi_2}}{p_1 dp_1 p_2 dp_2} \qquad \rho_1(1) = \frac{dN_{\pi_1}}{p_1 dp_1}$$

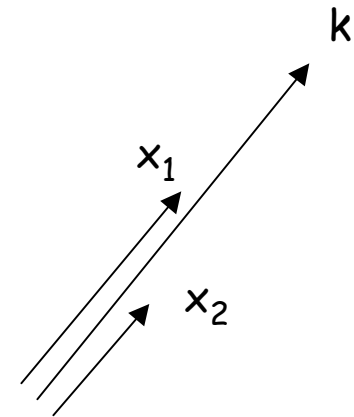
## Normalized correlation function

$$G_2(1,2) = \frac{C_2(1,2)}{[\rho_1(1)\rho_1(2)]^{1/2}}$$

# Correlation of partons in jets

Two shower partons in a jet in vacuum

Fixed hard parton momentum  $k$   
(as in  $e^+e^-$  annihilation)



$$\rho_1(1) = S_i^j(x_1)$$

$$\rho_2(1,2) = \left\{ S_i^j(x_1), S_i^j\left(\frac{x_2}{1-x_1}\right) \right\} = \frac{1}{2} \left\{ S_i^j(x_1) S_i^j\left(\frac{x_2}{1-x_1}\right) + S_i^j\left(\frac{x_1}{1-x_2}\right) S_i^j(x_2) \right\}$$

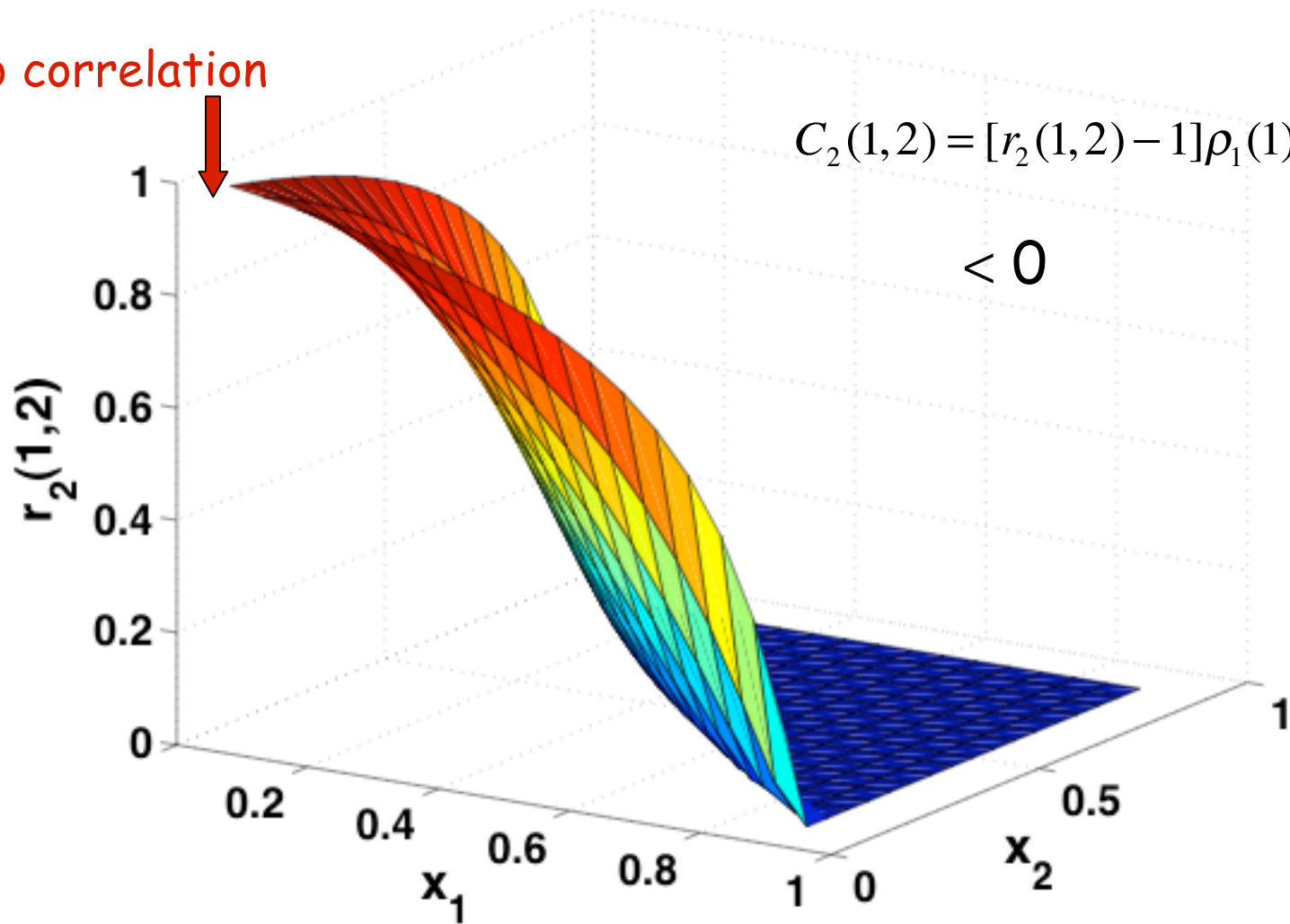
$$x_1 + x_2 \leq 1$$

$$r_2(1,2) = \frac{\rho_2(1,2)}{\rho_1(1)\rho_1(2)}$$

kinematically constrained  
dynamically uncorrelated

### Shower partons with fixed k

no correlation





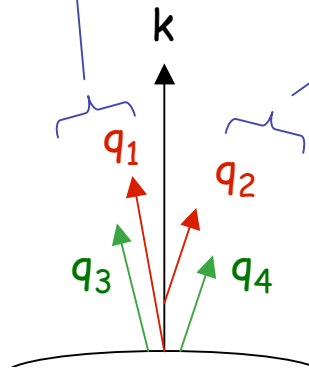
# Correlation of pions in jets

## Two-particle distribution

$$\frac{dN_{\pi\pi}}{p_1 dp_1 p_2 dp_2} = \frac{1}{(p_1 p_2)^2} \int \left[ \prod_i \frac{dq_i}{q_i} \right] F_4(q_1, q_2, q_3, q_4) R(q_1, q_3, p_1) R(q_2, q_4, p_2)$$

$$F_4 = (\text{TT} + \text{ST} + \text{SS})_{13} (\text{TT} + \text{ST} + \text{SS})_{24}$$

$$\sum_i \int dk k f_i(k)$$

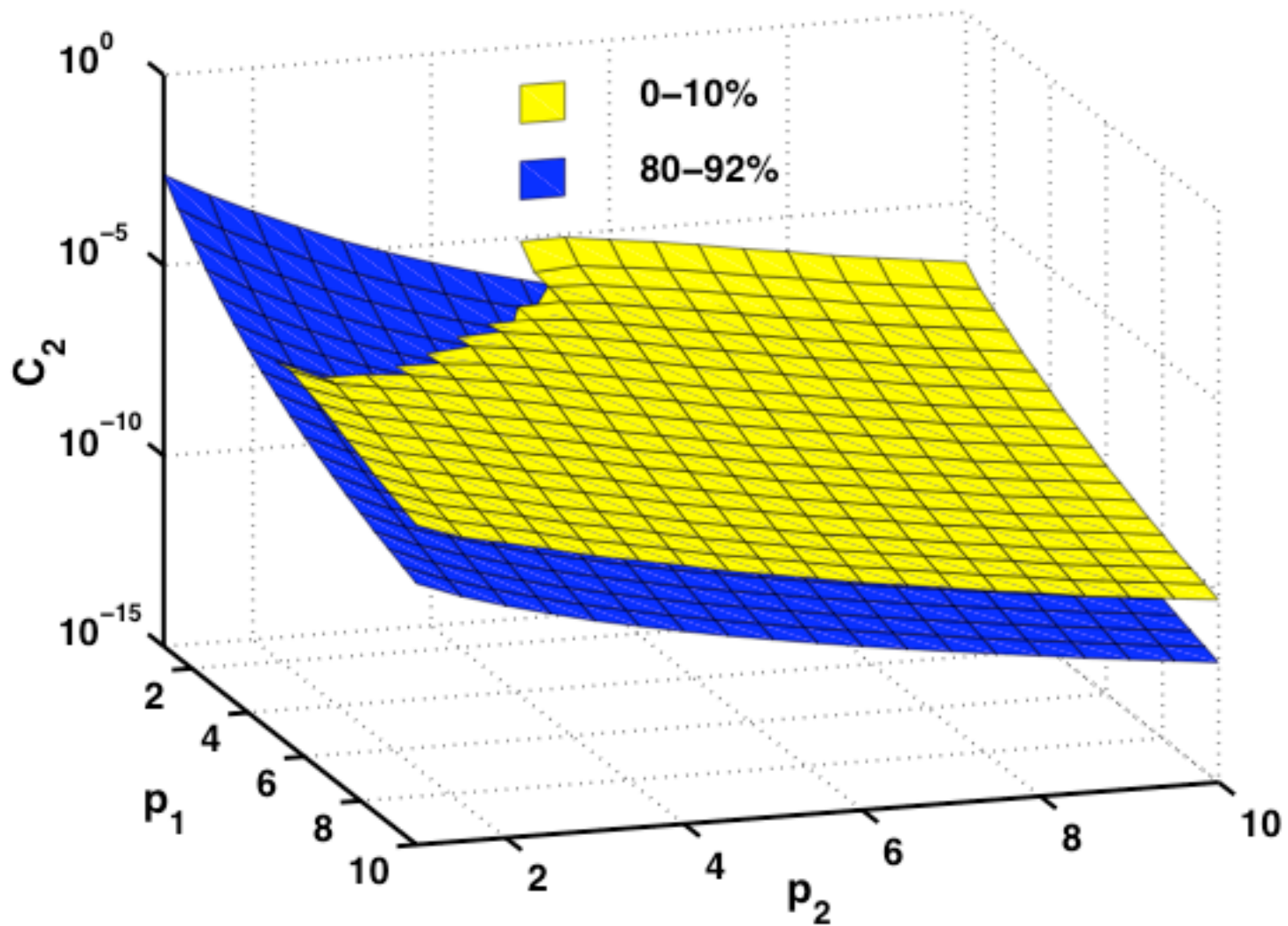


The shower partons are anti-correlated

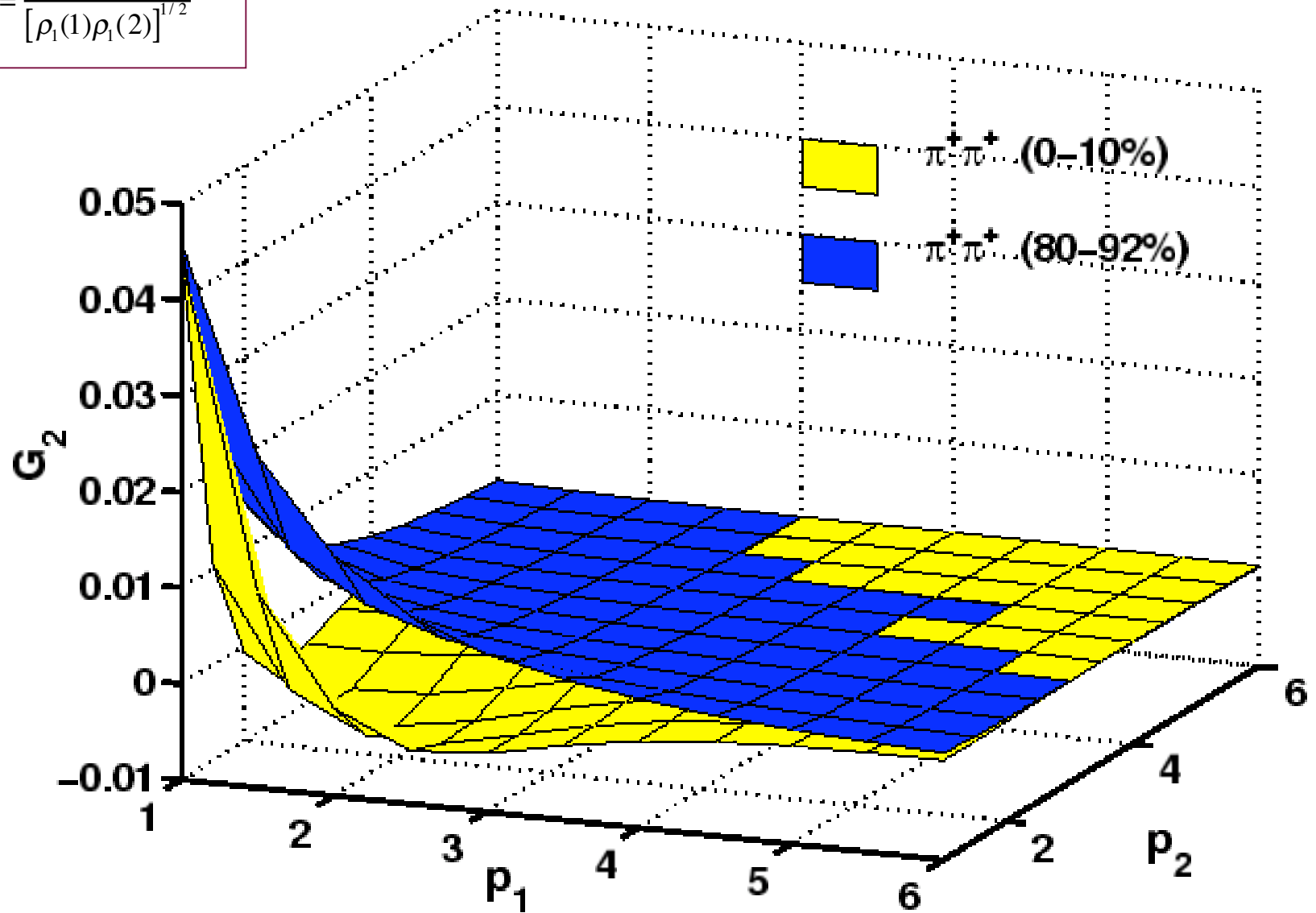
$$C_2(1,2) = \rho_2(1,2) - \rho_1(1)\rho_1(2)$$

$$\rho_2(1,2) = \frac{dN_{\pi_1\pi_2}}{p_1 dp_1 p_2 dp_2}$$

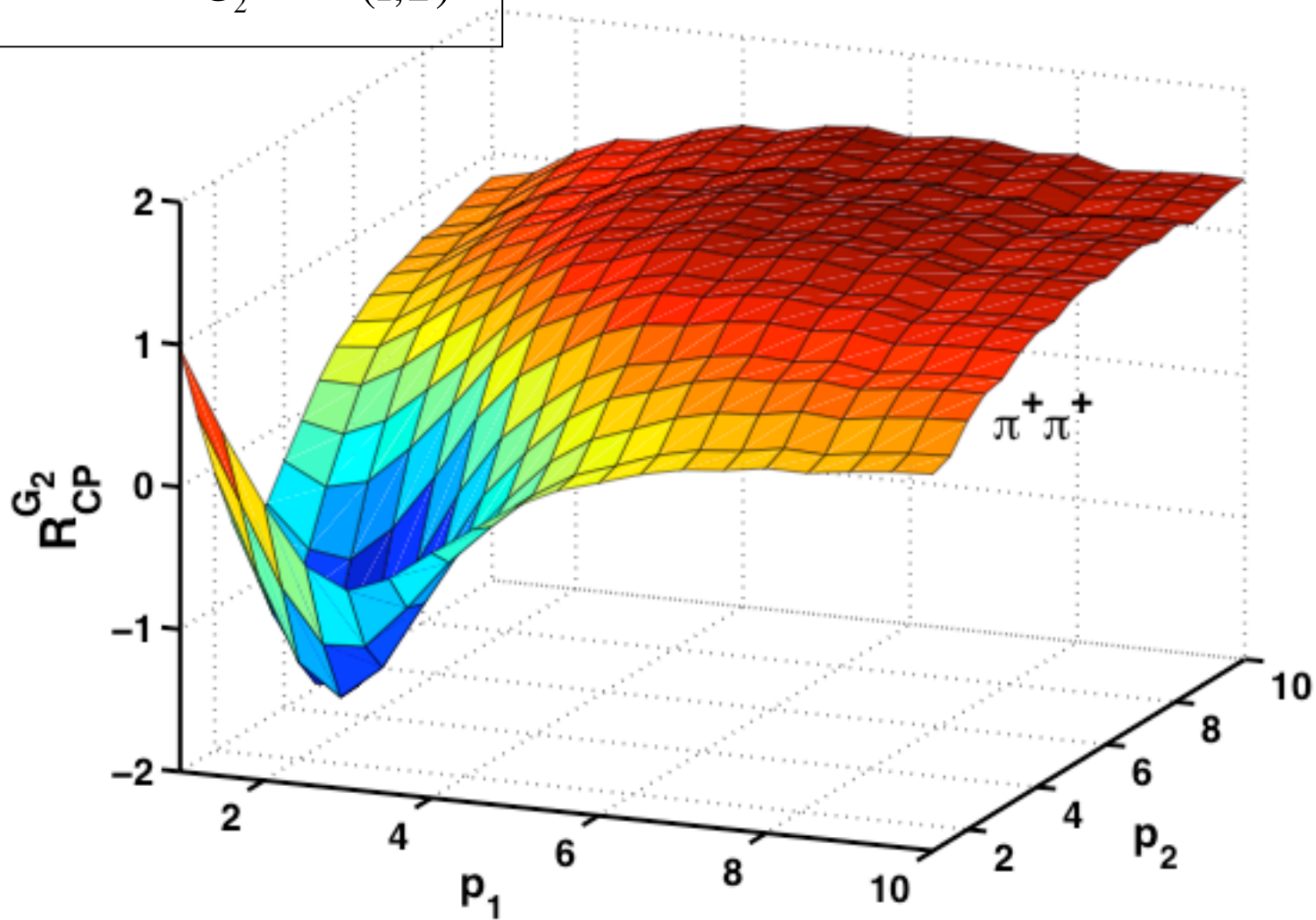
$$\rho_1(1) = \frac{dN_{\pi_1}}{p_1 dp_1}$$



$$G_2(1,2) = \frac{C_2(1,2)}{[\rho_1(1)\rho_1(2)]^{1/2}}$$

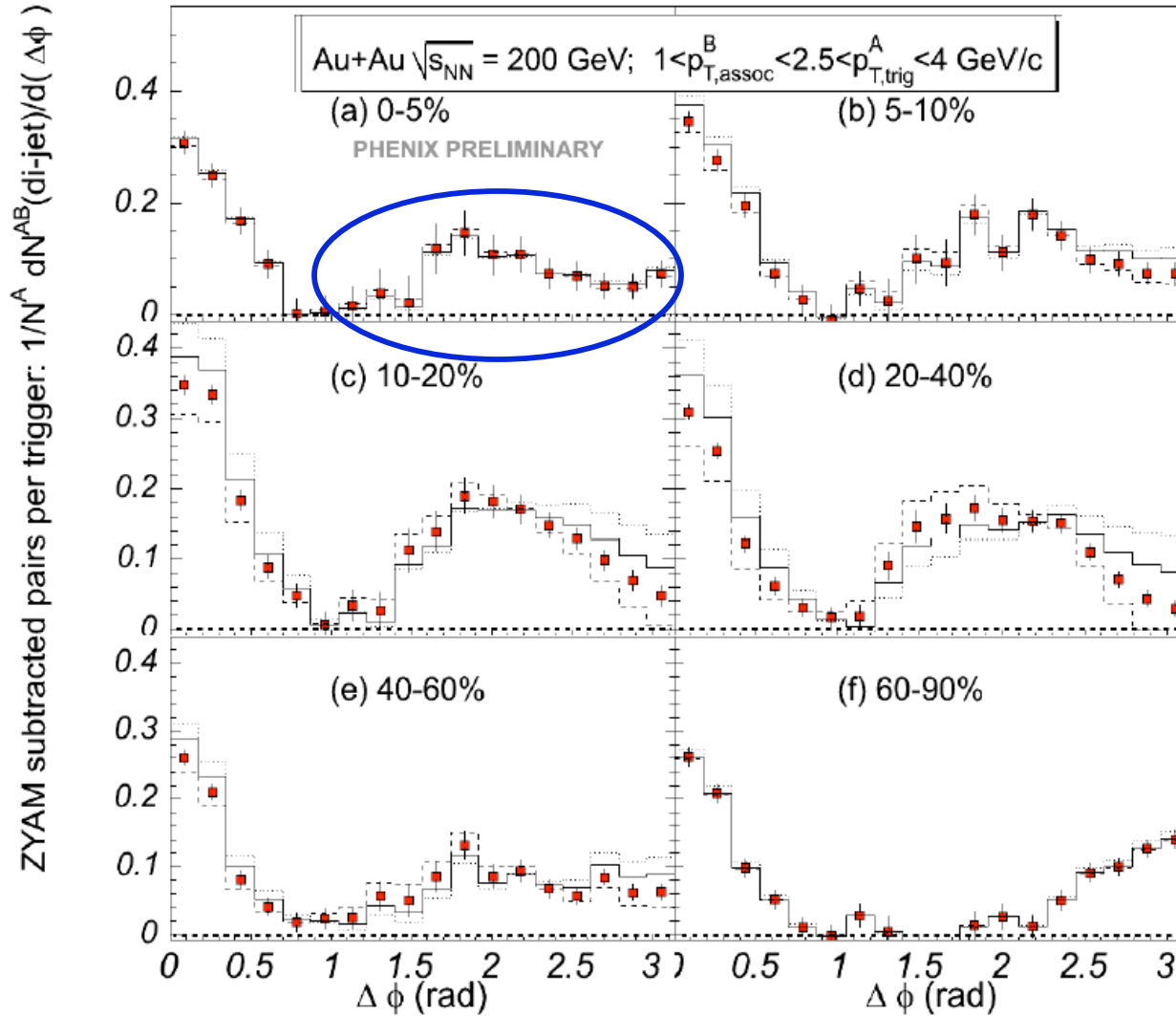


$$R_{CP}^{G_2}(1,2) = \frac{G_2^{(0-10\%)}(1,2)}{G_2^{(80-92\%)}(1,2)}$$



# Away-side $\Delta\phi$ distribution

PHENIX preliminary:



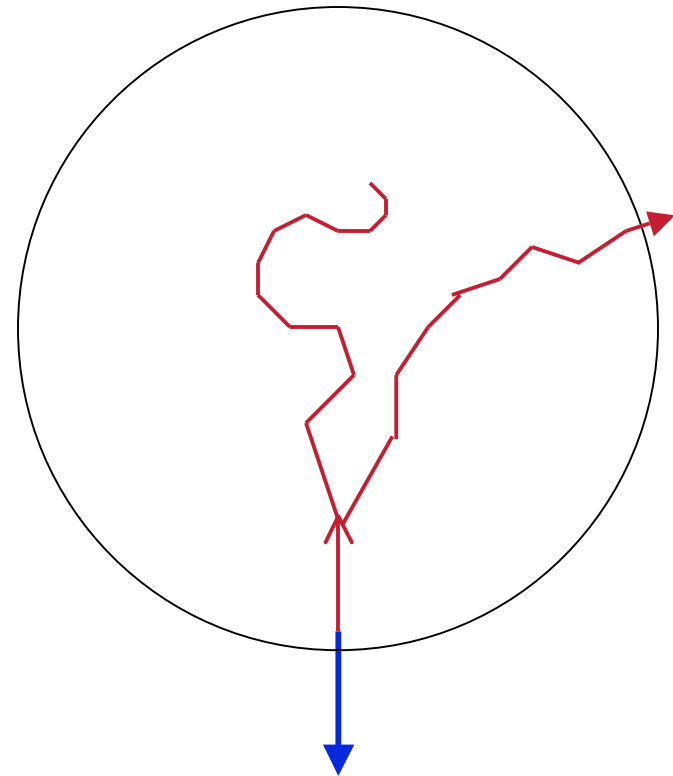
# Simulation of parton rescattering

Random forward walker  
on a circular mount

Direction of walk is  
random within a  
Gaussian peak

Step size depends  
on local density

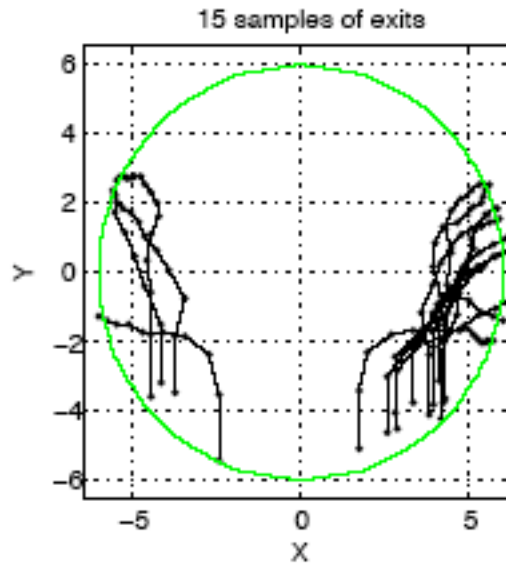
Most walks are absorbed  
inside the medium



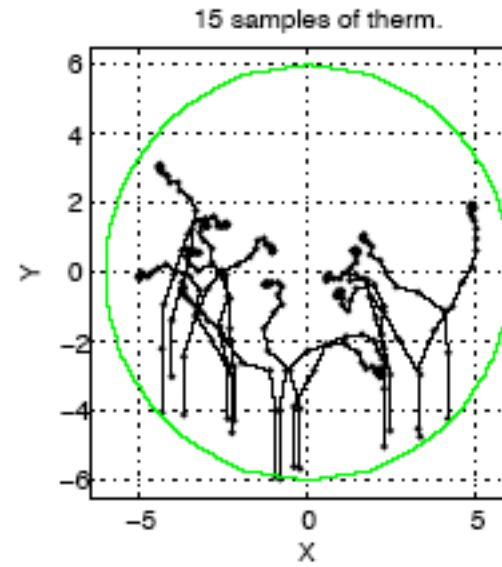
no conical flow

# Sample tracks

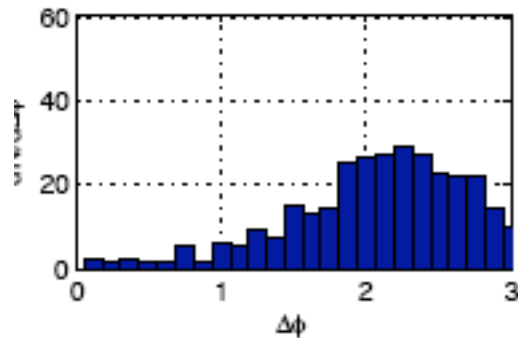
those that emerge



those that are absorbed



away-side  
distribution



Chiu & Hwa  
(work in progress)

# Autocorrelation

Correlation function  $C_2(1,2) = \rho_2(1,2) - \rho_1(1)\rho_1(2)$

1,2 on equal footing --- no trigger

Define  $\theta_- = \theta_2 - \theta_1$      $\phi_- = \phi_2 - \phi_1$

Autocorrelation:

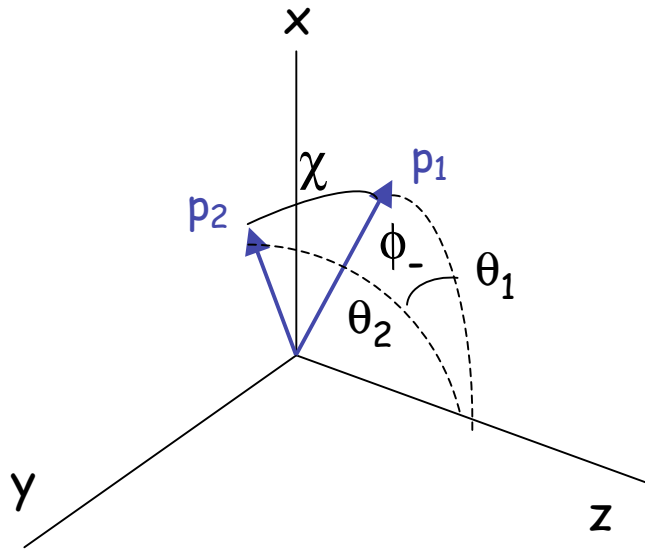
$$A(\theta_-, \phi_-)$$

Fix  $\theta_-$  and  $\phi_-$ , and integrate over  
all other variables in  $C_2(1,2)$

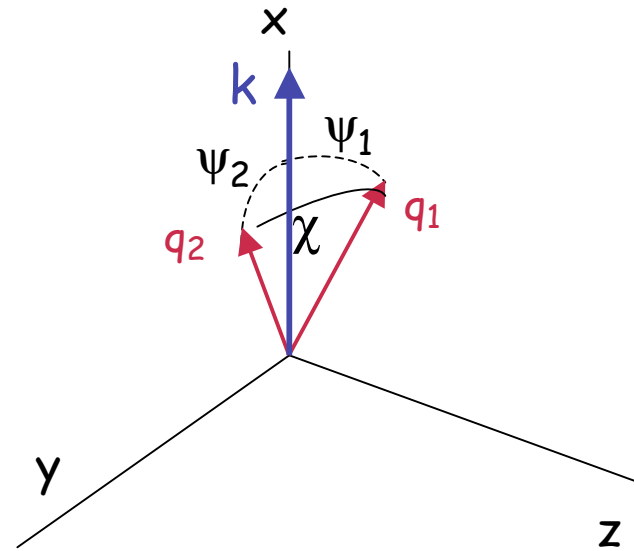
The only non-trivial contribution to  $A(\theta_-, \phi_-)$

near  $\theta_- \sim 0$ ,  $\phi_- \sim 0$  would come from jets





pion momentum space



parton momentum space

$$H(\theta_1, \theta_2, \phi_-)$$



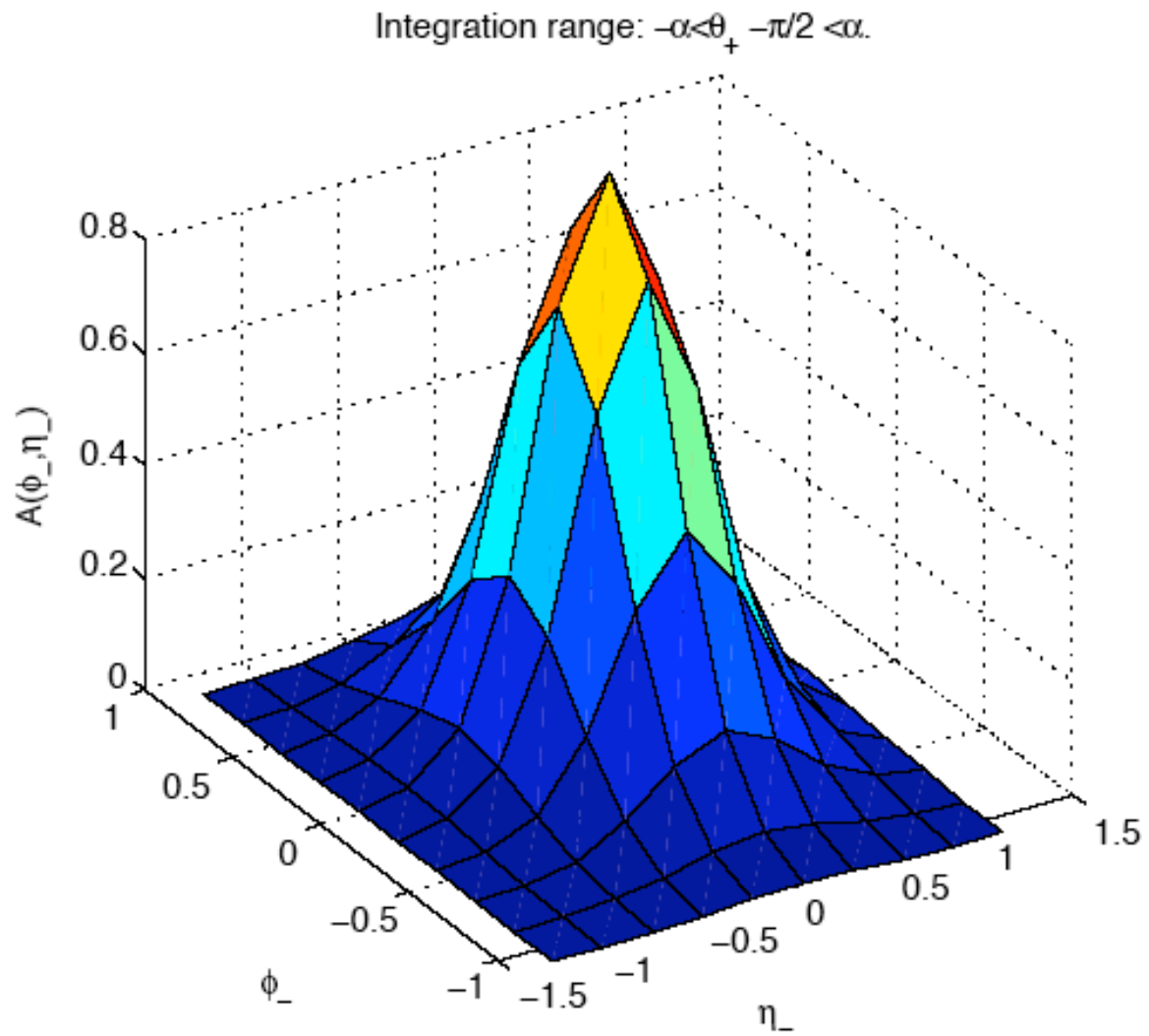
$$A(\eta_-, \phi_-)$$

$$P(\chi)$$



$$G(\psi_1, \psi_2)$$

Gaussian in jet cone



Chiu and Hwa (05)

## Conclusion

- Hadronization by recombination resolves several puzzles at intermediate  $p_T$ .
- The pedestal and peak structure in the near-side jets is due to enhanced thermal partons and to jet cone structure of shower partons.
- A dip is predicted in the correlation function due to anti-correlation among the shower partons.
- Promising start made in the  $\Delta\phi$  distribution on the away-side by simulating parton rescattering and absorption.